

$npq \gg 1$   
a parità di  $n$

$p?$  : max  
simil. tra  
bino e gauss.

$$F(p) = pq = p(1-p) = p - p^2$$

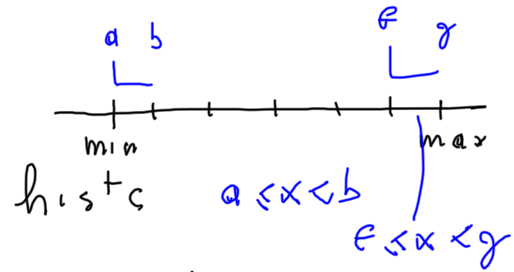
$$\frac{\partial F}{\partial p} = 0 = 1 - 2p \Rightarrow p = \frac{1}{2}$$

centro intervalli

$$\text{edge} = [a \ b \ c \ d \ e]$$

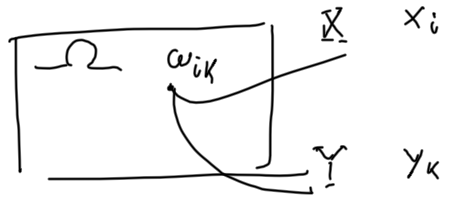
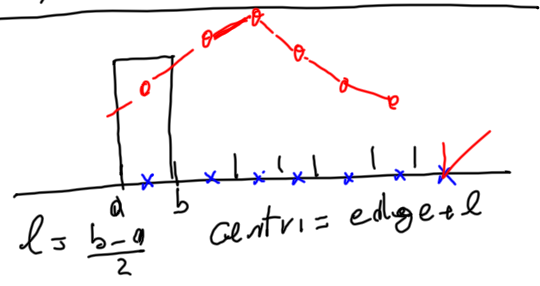
$$\text{largh\_bin} = \text{edge}(2) - \text{edge}(1)$$

$$\text{centri} = \text{edge}(1; \text{end}-1) + \frac{\text{largh\_bin}}{2}$$

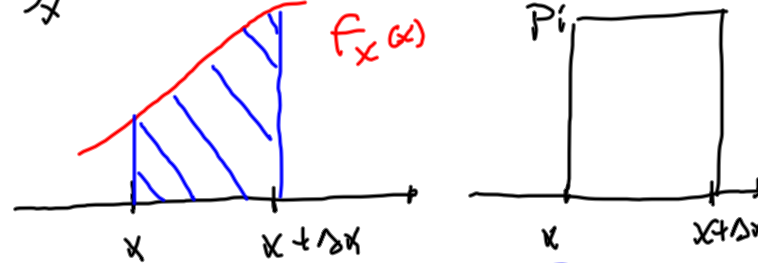
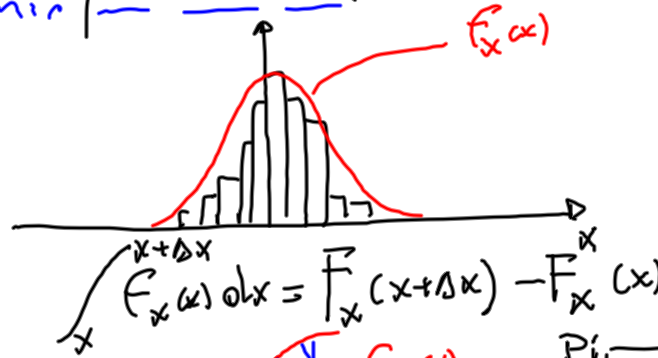
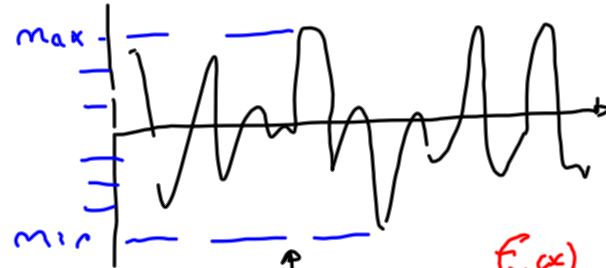


$n$  intervalli  
 $vett = hist+c \rightarrow n+1$        $vett(end)$   
 $num \ x: x = \max$

- 1)  $\max' = \max + \Delta x$
- 2)  $vett(end-1) = vett(end-1) + vett(end)$
- 3)



$$P_i = \frac{n_i}{n}$$



$$P_i (x + \Delta x - x) = P_i \Delta x$$

$$f_x(x) = \frac{n_i}{n} \frac{1}{\Delta x}$$

$$f_x(x) \Delta x = \frac{n_i}{n}$$

$$\lim_{\substack{n \rightarrow \infty \\ \Delta x \rightarrow 0}}$$

$$P_i = \frac{n_i}{n} \frac{1}{\Delta x}$$