Voltage references

Voltage references are blocks that produce an output voltage that is independent of **PVT** variations:

- V: Supply voltage
- **T:** Temperature
- P: Process errors

Voltage references are used for:

- Providing an absolute reference voltage for ADCs and DACs
- Providing an absolute reference voltage for stimulating sensors or other external devices that require precise control voltages and/or currents.
- Creating constant bias voltages (and currents) when required

Possible reference voltage sources

• Zener Diodes



Problems:

- Require additional process steps, but only a small number of components are required for each chip (not convenient)
- > Available voltages are > 3 V
- > Temperature stability is poor for $V_Z \neq 5-6$ V
- The reference voltage generated by a Zener diode is noisy (very wide band noise)
- Band-gap circuits

Band-gap voltage reference: principle of operation



Band-gap voltage reference: determination of parameter b

$$V_{BG} = V_{BE} + bV_T \qquad \text{We have to determine} \\ \frac{dV_{BG}}{dT} = V_{BE} + bV_T \qquad \text{We have to determine} \\ \frac{dV_{BG}}{dT} = \frac{dV_{BE}}{dT} + b\frac{dV_T}{dT} = 0 \qquad b = \frac{-\frac{dV_{BE}}{dT}}{\frac{dV_T}{dT}} \\ \frac{dV_T}{dT} = \frac{k}{q} \cong 8.56 \times 10^{-5} \ V/K \qquad b \cong 23 \qquad V_{BE} \qquad V_T \ (290 \text{ K}) \\ \frac{dV_{BE}}{dT} \cong -2 \ \text{mV/K} \qquad V_{BG} \cong 0.65 + 0.025 \times 23 = 1.225 \ \text{V}$$



Band-Gap voltage reference: theory

$$V_{BE} = V_{GO} + V_T \left[\ln (G \cdot E) - (\gamma - \alpha) \ln (T) \right] \qquad V_{BG} = V_{BE} + bV_T$$

$$V_{BG} = V_{GO} + V_T \left[\ln (G \cdot E) + b - (\gamma - \alpha) \ln (T) \right] \qquad V_{GO} = \frac{E_{gO}}{q}$$
The name **"band-gap"** of this reference voltage

The name "band-gap" of this reference voltage comes from V_{GO} , which is the dominant part

Let us calculate the derivative of V_{BG} with respect to temperature

$$\frac{dV_{BG}}{dT} = \frac{k}{q} \Big[\ln (G \cdot E) + b - (\gamma - \alpha) \ln (T) \Big] - (\gamma - \alpha) V_T \frac{1}{T}$$

$$\frac{dV_{BG}}{dT} = \frac{k}{q} \left[\ln \left(G \cdot E \right) + b - (\gamma - \alpha) - (\gamma - \alpha) \ln \left(T \right) \right]$$

$$V_{G0} = \frac{E_{g0}}{q} \qquad \begin{array}{c} V_{GO} \text{ is} \\ \text{numerically} \\ \text{equivalent to } E_{g0} \\ \text{measured in eV} \end{array}$$
$$E_{g0} \cong 1.2 \ eV \implies V_{G0} \cong 1.2 \ V$$

The derivative of V_{BG} depends on temperature

Band-Gap voltage reference: theory



Band-gap voltage reference: calculation result





Band-Gap voltage: a CMOS compatible Circuit



Deriving a temperature sensor from the Band-Gap circuit



PTAT current generator: multiple stable states



A start-up circuit is necessary to prevent the circuit from being trapped into P2